

the upper one. The distance from *c* to the upper summit (see drawing) was about 75° ; from *c* to the sun, 30° approximately. For a few moments at this time a faint, colored arc (*b* in fig. 1) was visible in the southwest sky at about 45° distance from the sun and apparently concentric to the halo; it displayed the colors of the spectrum in good definition with the red appearing on the side nearer the sun.

The halo and tangent arcs continued visible until 3:10 p. m., when a covering of alto-cumulus clouds had obscured the whole phenomenon.

EXPERIMENT ON SUNSET COLORS.¹

By F. W. JORDAN.

[Reprinted from Science Abstracts, Sec. A, Oct. 25, 1915, §1403.]

The purity of color in a diffraction halo² depends essentially on the size of the condensed droplets. The author describes a simple experiment in which the motion and distribution of the different-sized water droplets in a cloud are partially controlled. The colors obtained on illuminating the cloud with sunlight are comparable with those of soap films and present the features of sunset colors. It is concluded that some of the brilliancy and extensiveness of sunset colors is due to a quiescent state or regular motion of the clouds or mist at sunset and also to a distribution into layers of droplets of nearly uniform size.—*T. Harris.*

HALO OF MAY 20, 1915, ANALYZED.

By Prof. CHARLES SHELDON HASTINGS.

[Dated: Sloane Laboratory, Yale University, Oct. 25, 1915.]

[Early in September of this year Mr. A. M. Comey, of the Eastern Laboratory, Du Pont Powder Co., Chester, Pa., sent this Bureau two very interesting photographs of the solar halo of May 20, 1915, as seen at Chester, Pa. (lat. $39^\circ 50' N.$; long. $75^\circ 20' W.$). The first view, shown in figure 1, was taken at 11:15 a. m. (75th mer.) with a Zeiss wide-angle lens of Series 5, using stop 64 and 1/100 second exposure. The second photograph was taken at 11:45 a. m., and showed the features reproduced in figure 3. In this Review for May, 1915, we presented a large photograph of the corresponding halo seen at New Haven, Conn.; Mr. Comey's photographs are of additional interest, since they record the parhelic circle as well as the circumscribed halo of 22° . Unfortunately these photographs were unable to record the brilliantly colored arc of the 46° -halo, reported from both localities, although figure 3 was extensive enough to have included it.]

Both photographs from Chester have been studied and analyzed by Prof. Hastings and the results are communicated below.—*C. A., jr.*

A careful study of Mr. Comey's photographs of the halo of May 20 yields a remarkable amount of exact conclusions. These I shall endeavor to make clear.

It is to be observed that the photographs are, in a sense, not true pictures of what one might have seen, but are in reality a projection on a plane of lines in a concave sky—linear dimensions, not angles, are recorded. Did we know the exact focal length of the lens used it would be easy to deduce the angles from the linear dimensions. Nevertheless, it is possible to deduce the focal length from the pictures themselves with all requisite precision.

Focal length of camera.

We are justified in assuming that the middle of the plate is in the axis of the camera as employed. If this is so, it is clear that all great circles passing through the corresponding point in the sky would appear in the photograph as straight lines in this point, which we may designate by *P*. The angular distance from *P* to any point on one of these lines is given by the equation

$$F \tan \alpha = d,$$

where *d* is the measured distance by any scale and *F* is the focal length in the same units. Moreover, according to any theory of halos the angular distance separating the highest point of the halo from the lowest point is very nearly 44 degrees; or for a photographic view, in which violet light is most effective, we may estimate this distance as equal to 44.6 degrees. These considerations and direct measurement of the photograph give us the following set of equations for the photograph of figure 1:

$$F \tan \alpha = 1.48 \text{ in.}, F \tan \beta = -4.15 \text{ in.}, \alpha - \beta = 44.6^\circ.$$

The corresponding equations for the photograph of figure 3 are as follows:

$$F \tan \alpha = 4.30 \text{ in.}, F \tan \beta = -0.64 \text{ in.}, \alpha - \beta = 44.6^\circ.$$

The only uncertainty here depends on our assumption as to the adjustment of the camera and my own estimate as to the position of the beginning of the brightest portion of the ring. The solution of the first equations gives $F = 5.54$ in. and of the second $F = 5.51$ in., values in sufficiently close agreement.

Circumscribed halo and parhelic circles.

The position of the zenith in figure 2 is pretty accurately fixed, since the parhelic circle is well defined and that portion near the sun is so close to *P* that it is little distorted. My estimate from this plate makes the zenith distance of the sun equal to 26.1° . The zenith distance of the sun at the time the second photograph was taken is not so easily found, chiefly because of the faintness of the image of the parhelic circle. My conclusion from measures freed from distortion is a zenith distance in this case of 21.5° , which can not be far from the truth.

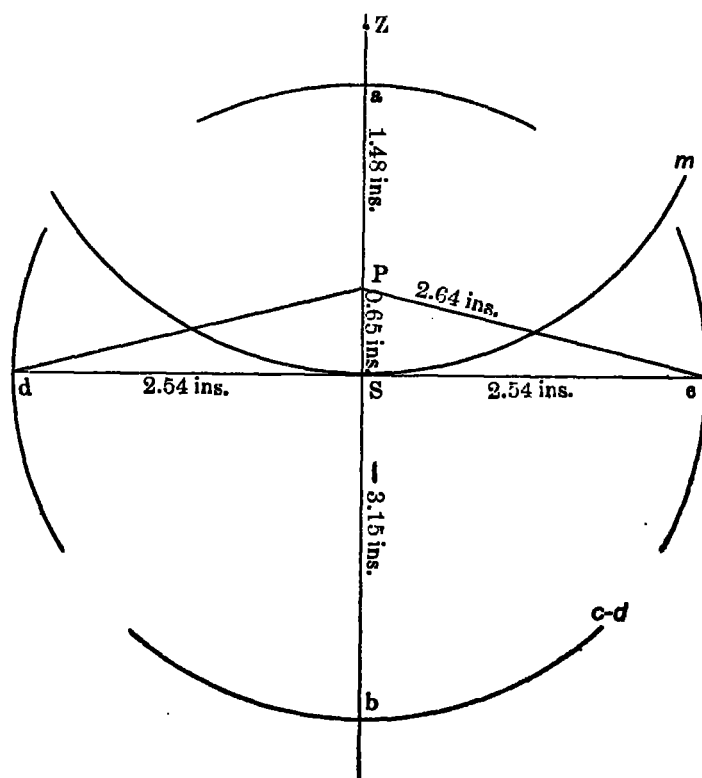


FIG. 2.—Analysis, by Prof. C. S. Hastings, of the original large print reproduced on a smaller scale in fig. 1. The dimensions refer to those of the original print.

The horizontal semidiameter, *Sc*, of the circumscribed halo is found as follows:

Angular distance *P* to *c* (or *d*) is 25.5° , since $F \tan 25.5^\circ = 2.64$ inches.

Angular distance *P* to *S* is 6.7° , since $F \tan 6.7^\circ = 0.65$ inch.